### **Instrument calibration part 1: Laboratory**

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### "Forward Direction": From input flux to digital number

### INPUT: Spectral Irradiance [W/m<sup>2</sup>/nm] = Energy received per time interval (J/s=W) per area (m<sup>2</sup>) per wavelength interval (nm)



### $\rightarrow$ Follow a monochromatic input



### Flux at grating



### Dispersion

Lower wavelengths reach the 2nd mirror at one end.

Higher wavelengths reach the 2nd mirror at the other end.

Telescope

Fiber optics



Spectrometer

### Flux at 2nd mirror

Monochromatic light distributes over "some region" on the 2nd mirror. Not a Delta-function anymore ...





### Flux at detector and electrons in detector

 $\mathsf{F}_{3L}(\mathsf{x}_{DE})$ 8000 ELECTRON DENSITY PECTRON DENSITY PECTRON DENSITY Flux at detector is binned into pixels 4 5 6 7 8 9 10 PIXEL, POSITION AT DETECTOR,  $x_{DE}$ 11 12 13 3 Telescope Fiber optics **Spectrometer** 

### Transmission from detector to output signal

Counts for monochromatic input give "Slit (scatter) function".







### "Backward Direction": From digital number to flux



### **Dark offset and slope**



(From thermal electrons)

(From electronics)

### **Dark correction**



### Linearity

(If you are lucky ...) Dark & bright signals increase ~ linearly with light input

(If you are less lucky ...) Your system is strongly non-linear

#### **Non-linearity in Detector:**

(Photon-induced or thermal) electron (e<sup>-</sup>) accumulation differs from the e<sup>-</sup> generation due to saturation and/or recombination.

### **Non-linearity in ROE:**

Caused by operational amplifier and AD-Converter



### **Linearity correction**



### Latency

Readings in a pixel are influenced by the readings in the previously read pixel





### **Pixel Response Non Uniformity (PRNU)**

### "What is the difference in the readings, if every pixel gets exactly the same input?"

For single pixels the PRNU is actually an effect of about ±1%. Here is is reduced since for this CCD 64 single pixels are averaged in the reading.



### Spectral stray light

### "Not all photons necessarily end up where they should."





# **Full slit (scatter) function**





Video compiled and thankfully provided by

- Julian Gröbner and
- Natalia Kouremeti

### **Spectral sensitivity**



### **Dispersion and resolution changes**

- → In the lab we can determine the dispersion (which pixel corresponds to which wavelength) and resolution (width of slit function) of the system.
- → However these parameters usually change in the field (temperature, instrument setup, ...).
- → Due to the known structure of the solar spectrum, we can correct for this to some extent in the retrievals.
- → More in Michel's talk about calibration techniques applied in the field ...

### **Reference** spectrum



### **Measured spectrum**

### Instrument calibration part 2: In the field

### Michel van Roozendael, BIRA-IASB

Fifth Joint School on Atmospheric Composition September 14 – 29, 2023

### From the lab to the field

When a properly calibrated instrument is moved from the lab to the field (or launched into space), its characteristics can be altered due to various reasons, e.g.

- → Changes in operating temperature affecting the optical response of the spectrometer
- → Additional unwanted light (stray-light)

→ ...

- → Changes in the air pressure affecting refractive index (e.g. on balloon or aircraft)
- → Doppler shift for satellite instruments moving fast relative to the sun
- → Degradation due to aging of optical components

Fortunately a number of these effects can be mitigated using suitable retrieval approaches

### The sun as a light source





Joseph von Frauhofer (1787 – 1826)

### **Optimising the wavelength calibration in the field**

→ Use atlas of solar lines (precisely known from literature) as wavelength reference
 → Retrieve wavelength shift between measured spectrum and solar lines of known position in successive micro-windows, and use it to reconstruct an improved wavelength calibration



→ This approach is very accurate (error < 0.01 nm) → usually more accurate than lab measurements</p>

# **Optimising the ISRF (instrumental spectral response function)**

- → Same approach as for wavelength calibration, but...
- → Start from high resolution solar atlas and apply dynamical convolution in each microwindow using a variable line shape (e.g. gaussian function)





- → Retrieve wavelength dependence of ISRF
- More complex lineshapes can be used to refine the process



# **Optimising the ISRF (instrumental spectral response function)**

- → Same approach as for wavelength calibration, but...
- → Start from high resolution solar atlas and apply dynamical convolution in each microwindow using a variable line shape (e.g. gaussian function)



### **Exemple: validation of Sentinel-5P/TROPOMI key data**

#### TROPOMI Band 3 (305-395 nm)





# Atmospheric trace gas retrieval (DOAS)

Beer-Lambert law: 
$$I(\lambda) = I_0(\lambda) \cdot e^{-\sum_{j} \sigma'_j(\lambda)c_j - \left[\sum_{i} \sigma_{0,j}(\lambda)c_j + \varepsilon_R + \varepsilon_M\right]}$$
 Scattering terms (Rayleigh & Mie)  
Optical density:  $D_{meas.}(\lambda) = \ln\left(\frac{I_0(\lambda)}{I(\lambda)}\right) = \sum_{j} \sigma'_j(\lambda)c_j + \left[\sum_{j} \sigma_{0,j}(\lambda)c_j + \varepsilon_R + \varepsilon_M\right]$   
Structured Part  
 $\rightarrow$  trace gases  
 $\int_{0}^{1} \int_{0}^{1} \int_{0}^$ 

### **Spectral shift**



### **Resolution change**



### **Intensity offset**





- → For all these effects, corrections can be implemented in DOAS retrievals softwares
- → Applicable to both ground-based and satellite instruments
- → Improves accuracy of retrievals and limits the impact of instrumental instabilities or degradation
- → If not properly corrected, these effects (or possible other ones) have a sizeable impact on the fitting residuals
- → Residuals from spectral fits provide an excellent diagnostic to detect instrumental issues, and this is routinely used for quality control

# E.g. Monitoring of instrumental degradation og GOME-2

Analysis of changes in the noise of the retrieved trace gas columns, or changes in monitored slit function parameters



Fig. 3.  $H_2CO$  slant column standard deviation scaled to a pixel size of  $10 \times 10 \text{ km}^2$ , retrieved from GOME, SCIAMACHY and GOME-2 over the equatorial Pacific. Two versions of GOME-2 results are shown: the initial retrieval settings (v07) and the improved settings (v12, see text for details).

De Smedt et al., AMT, 5, 2933-2949, 2012



**Fig. 6. (a)** GOME-2 slit function width (FWHM) and asymmetry factor (AF) fitted during the calibration procedure of the DOAS analysis. **(b)** Mean residuals of the GOME-2 solar spectrum calibration between 330 and 360 nm, using the pre-flight slit function or fitting a Gaussian asymmetric slit function. The FWHM of the fitted Gaussian asymmetric slit function is shown as second y-axis.

### Soft-calibration of satellite nadir reflectances





**Figure 8.** Sketch illustrating the possible detection of radiometric calibration (absolute) errors and artificial spectral features (differential errors). For each satellite scene in colocation with a Brewer measurement, a simulated spectrum is compared to the level-1 reflectance. A low-order polynomial fitted through the ratio of the spectra discriminates broadband effects from the high-frequency features.



#### Using a black board with a white stripe



#### **Using horizon scans**



Accuracy limited (± 0.25°) but useful for regular monitoring

### CINDI-2 campaign, Cabauw, Sep 2016



Donner et al., 13, 685–712, 2020

#### Using sun scans

- → Allows for calibration of both elevation and azimuth axes
- → Best accuracy (± 0.05°) and can be repeated regularly for monitoring
- → Only applicable to systems equipped with 2D scanners and direct-sun optics



### In-operation satellite field-of-view (FOV) retrieval

Idea: → simultaneously record the same scenes using sensors of low and high-resolution
 → the FOV of the low-resolution sensor can be derived using multiple joint measurements with both systems



Siehler et al., AMT, 10, 881–903, 2017

$$\begin{pmatrix} l_1 \\ \vdots \\ l_m \end{pmatrix} = \begin{pmatrix} 1 & h_{11} & \cdots & h_{1n} \\ \vdots & \vdots & & \vdots \\ 1 & h_{m1} & \cdots & h_{mn} \end{pmatrix} \begin{pmatrix} c_0 \\ c_1 \\ \vdots \\ c_n \end{pmatrix}$$

#### **Application to GOME-2 FOV retrieval**

